

**UNIT IV****WAVE SHAPING AND MULTIVIBRATOR CIRCUITS**

Pulse circuits – attenuators – RC integrator and differentiator circuits – diode clampers and clippers – Multivibrators - Schmitt Trigger- UJT Oscillator.

**WAVE SHAPING AND MULTIVIBRATOR CIRCUITS**

Linear wave shaping :Process by which the shape of a non sinusoidal signal is changed by passing the signal through the network consisting of linear elements  
Diodes can be used in wave shaping circuits.

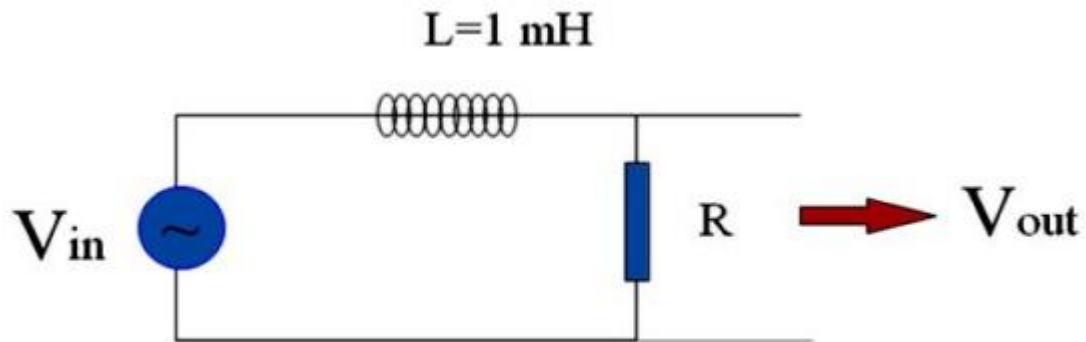
- Either limit or clip signal portion--- clipper
- shift the dc voltage level of the signal --- clampers

Types of non sinusoidal input

- Step
- pulse
- square
- Ramp input

**RL circuit**

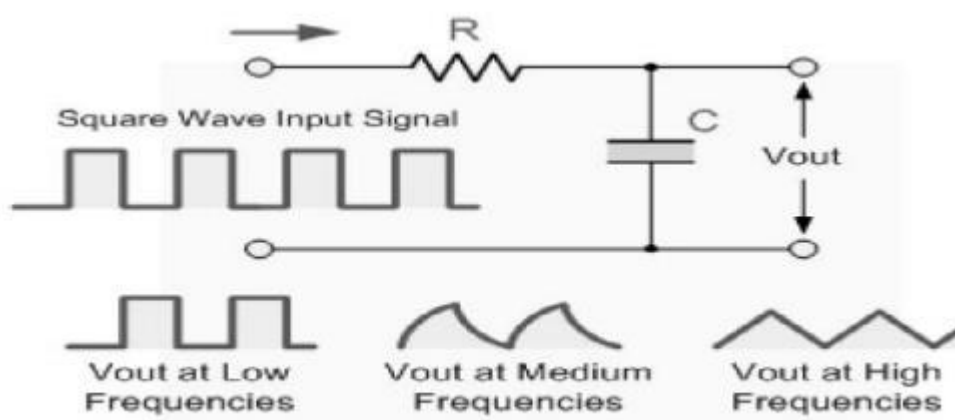
- RL circuit is used for small time constants.
- To get a large time constant the inductance value has to be chosen high
- Higher inductance value are provided by iron core inductors which are bigger in size, heavy and costly.



### The RC Integrator

The **Integrator** is basically a low pass filter circuit operating in the time domain that converts a square wave "step" response input signal into a triangular shaped waveform output as the capacitor charges and discharges.

A **Triangular** waveform consists of alternate but equal, positive and negative ramps. As seen below, if the RC time constant is long compared to the time period of the input waveform the resultant output waveform will be triangular in shape and the higher the input frequency the lower will be the output amplitude compared to that of the input.



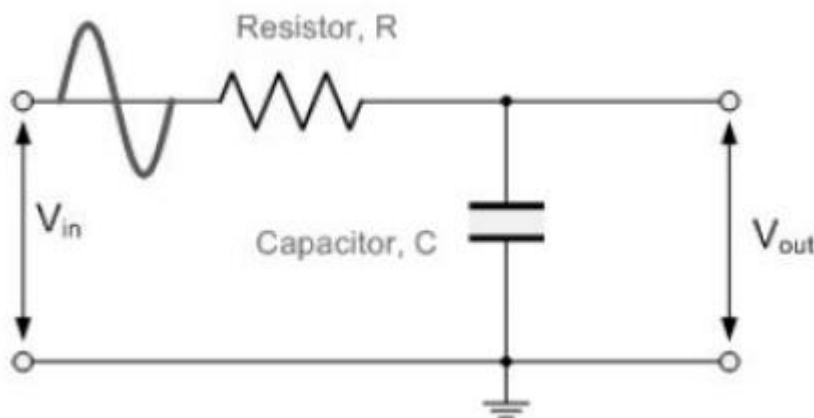
This then makes this type of circuit ideal for converting one type of electronic signal to another for use in wave-generating or wave-shaping circuits.

### The Low Pass Filter

A simple passive Low Pass Filter or LPF, can be easily made by connecting together in series a single Resistor with a single Capacitor as shown below. In this type of filter arrangement the input signal ( $V_{in}$ ) is applied to the series combination (both the Resistor and Capacitor together) but the output signal ( $V_{out}$ ) is taken across the capacitor only.

This type of filter is known generally as a "first-order filter" or "one-pole filter", why first-order or single-pole, because it has only "one" reactive component in the circuit, the capacitor.

### Low Pass Filter Circuit



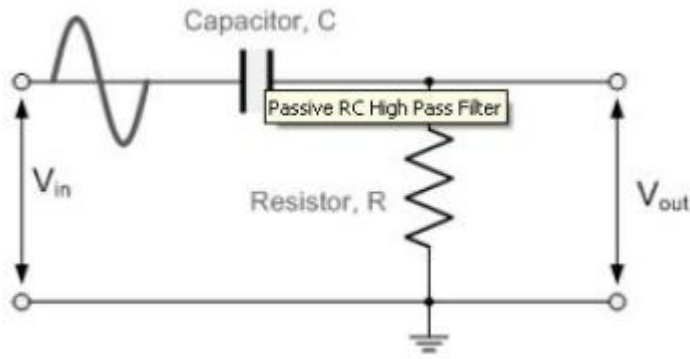
The reactance of a capacitor varies inversely with frequency, while the value of the resistor remains constant as the frequency changes. At low frequencies the capacitive reactance, ( $X_c$ ) of the capacitor will be very large compared to the resistive value of the resistor,  $R$  and as a result the voltage across the capacitor,  $V_c$  will also be large while the voltage drop across the resistor,  $V_r$  will be much lower. At high frequencies the reverse is true with  $V_c$  being small and  $V_r$  being large.

### **High Pass Filters**

A High Pass Filter or HPF, is the exact opposite to that of the Low Pass filter circuit, as now the two components have been interchanged with the output signal ( $V_{out}$ ) being taken from across the resistor as shown.

Where the low pass filter only allowed signals to pass below its cut-off frequency point,  $f_c$ . The passive high pass filter circuit as its name implies, only passes signals above the selected cut-off point,  $f_c$  eliminating any low frequency signals from the waveform. Consider the circuit below.

### **The High Pass Filter Circuit**



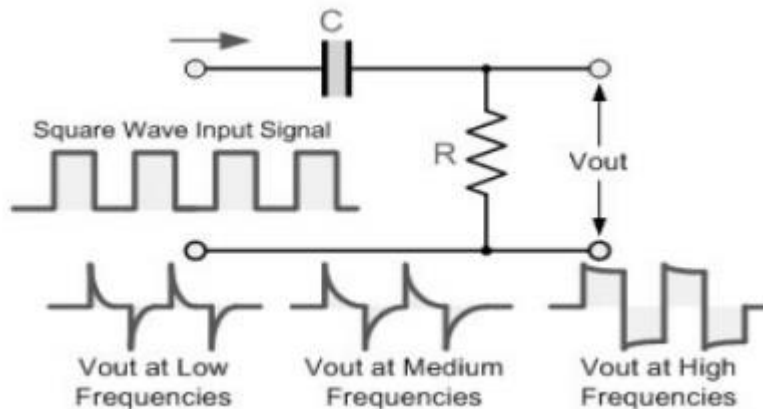
In this circuit arrangement, the reactance of the capacitor is very high at low frequencies so the capacitor acts like an open circuit and blocks any input signals at  $V_{in}$  until the cut-off frequency point ( $f_c$ ) is reached.

Above this cut-off frequency point the reactance of the capacitor has reduced sufficiently as to now act more like a short circuit allowing all of the input signal to pass directly to the output as shown below in the High Pass Frequency Response Curve.

### RC Differentiator

Up until now the input waveform to the filter has been assumed to be sinusoidal or that of a sine wave consisting of a fundamental signal and some harmonics operating in the frequency domain giving us a frequency domain response for the filter.

However, if we feed the **High Pass Filter** with a **Square Wave** signal operating in the time domain giving an impulse or step response input, the output waveform will consist of short duration pulse or spikes as shown.



Each cycle of the square wave input waveform produces two spikes at the output, one positive and one negative and whose amplitude is equal to that of the input. The rate of decay of the spikes depends upon the time constant, (RC) value of both components, ( $t = R \times C$ ) and the value of the input frequency. The output pulses resemble more and more the shape of the input signal as the frequency increases

### RL INTEGRATORS:

The RL circuit may also be used as an integrating circuit. An integrated waveform may be obtained from the series RL circuit by taking the output across the resistor. The characteristics of the inductor are such that at the first

instant of time in which voltage is applied, current flow through the inductor is minimum and the voltage developed across it is maximum.

Therefore, the value of the voltage drop across the series resistor at that first instant must be 0 volts because there is no current flow through it. As time passes, current begins to flow through the circuit and voltage develops across the resistor. Since the circuit has a long time constant, the voltage across the resistor does NOT respond to the rapid changes in voltage of the input square wave. Therefore, the conditions for integration in an RL circuit are a long time constant with the output taken across the resistor.

There are a variety of diode network called clippers that have the ability to “clip” off a portion of the input signal without distorting the remaining part of the alternating waveform. The half wave rectifier is an example of the simplest form of diode clipper one resistor and diode.

Depending on the orientation of the diode, the positive or negative region of the input signal is- “clipped” off. There are two general categories of clippers: series and parallel. The series configuration is defined as one where the diode is in series with the load, while the parallel variety has the diode in a branch parallel to the load.

## **Multivibrators**

### **Introduction**

The type of circuit most often used to generate square or rectangular waves is the multivibrator. A multivibrator, is basically two amplifier circuits arranged with regenerative feedback. One of the amplifiers is conducting while the other is cut off. When an input signal to one amplifier is large enough, the transistor can be driven into cutoff, and its collector voltage will be almost  $V_{CC}$ . However, when the transistor is driven into saturation, its collector voltage will be about 0 volts.

A circuit that is designed to go quickly from cutoff to saturation will produce a square or rectangular wave at its output. This principle is used in multivibrators. Multivibrators are classified according to the number of steady (stable) states of the circuit. A steady state exists when circuit operation is essentially constant; that is, one transistor remains in conduction and the other remains cut off until an external signal is applied.

The three types of multivibrators :

- ASTABLE
- MONOSTABLE
- BISTABLE.

The astable circuit has no stable state. With no external signal applied, the transistors alternately switch from cutoff to saturation at a frequency determined by the RC time constants of the coupling circuits.

The monostable circuit has one stable state; one transistor conducts while the other is cut off. A signal must be applied to change this condition. After a



period of time, determined by the internal RC components, the circuit will return to its original condition where it remains until the next signal arrives.

The bistable multivibrator has two stable states. It remains in one of the stable states until a trigger is applied. It then FLIPS to the other stable condition and remains there until another trigger is applied. The multivibrator then changes back (FLOPS) to its first stable state.

### **1. Astable Multivibrator**

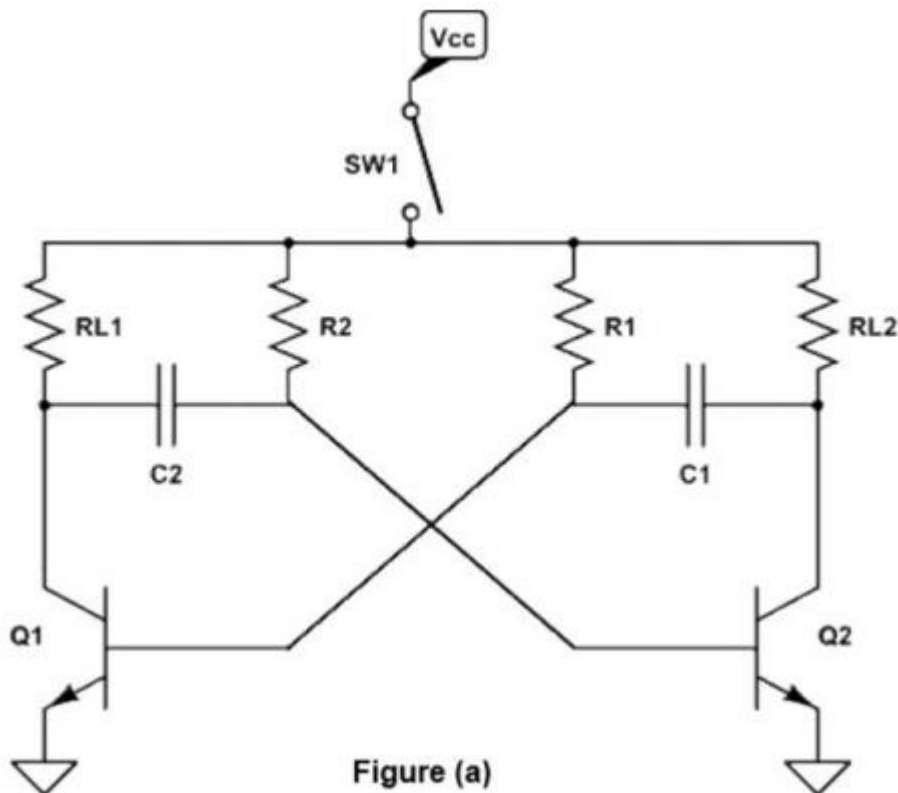
A multivibrator which generates square waves of its own (i.e. without any external trigger pulse) is known as astable multivibrator. It is also called free running multivibrator. It has no stable state but only two quasi-stables (half-stable) makes oscillating continuously between these states. Thus it is just an oscillator since it requires no external pulse for its operation of course it does require D.C power.

In such circuit neither of the two transistors reaches a stable state. It switches back and forth from one state to the other, remaining in each state for a time determined by circuit constants. In other words, at first one transistor conducts (i.e. ON state) and the other stays in the OFF state for some time. After this period of time, the second transistor is automatically turned ON and the first transistor turned OFF. Thus the multivibrator will generate a square wave of its own. The width of the square wave and its frequency will depend upon the circuit constants.

Here we like to describe.

- Collector - coupled Astable multivibrator
- Emitter - coupled Astable multivibrator

Figure (a) shows the circuit of a collector coupled astable multivibrator using two identical NPN transistors  $Q_1$  and  $Q_2$ . It is possible to have  $R_{L1} = R_{L2} = R_L = R_1 = R_2 = R$  and  $C_1 = C_2 = C$ . In that case, the circuit is known as symmetrical astable multivibrator. The transistor  $Q_1$  is forward biased by the  $V_{cc}$  supply through resistor  $R_2$ . Similarly the transistor  $Q_2$  is forward biased by the  $V_{cc}$  supply through resistor  $R_1$ . The output of transistor  $Q_1$  is coupled to the input of transistor  $Q_2$  through the capacitor  $C_2$ . Similarly the output of transistor  $Q_2$  is coupled to the input of transistor  $Q_1$  through the capacitor  $C_1$ .



It consists of two common emitter amplifying stages. Each stage provides a feedback through a capacitor at the input of the other. Since the amplifying stage introduces a  $180^\circ$  phase shift and another  $180^\circ$  phase shift is introduced by a capacitor, therefore the feedback signal and the circuit works as an oscillator. In other words because of capacitive coupling none of the transistor can remain permanently out-off or saturated, instead of circuit has two quasi-stable states (ON and OFF) and it makes periodic transition between these two states.

The output of an Astable multivibrator is available at the collector terminal of the either transistors as shown in figure (a). However, the two outputs are  $180^\circ$  out of phase with each other. Therefore one of the outputs is said to be the complement of the other.

Let us suppose that

When  $Q_1$  is ON,  $Q_2$  is OFF and

When  $Q_2$  is ON,  $Q_1$  is OFF.

When the D.C power supply is switched ON by closing S, one of the transistors will start conducting before the other (or slightly faster than the other). It is so because characteristics of no two similar transistors can be exactly alike suppose that  $Q_1$  starts conducting before  $Q_2$  does. The feedback system is such that  $Q_1$  will be very rapidly driven ton saturation and  $Q_2$  to cut-off. The circuit operation may be explained as follows.

Since  $Q_1$  is in saturation whole of  $V_{CC}$  drops across  $R_{L1}$ . Hence  $V_{C1} = 0$  and point A is at zero or ground potential. Since  $Q_2$  is in cut-off i.e. it conducts no current, there is no drop across  $R_{L2}$ . Hence point B is at  $V_{CC}$ . Since A is at 0V  $C_2$  starts to charge through  $R_2$  towards  $V_{CC}$ .

When voltage across  $C_2$  rises sufficiently (i.e. more than 0.7V), it biases  $Q_2$  in the forward direction so that it starts conducting and is soon driven to saturation.

$V_{CC}$  decreases and becomes almost zero when  $Q_2$  gets saturated. The potential of point B decreases from  $V_{CC}$  to almost 0V. This potential decrease (negative swing) is applied to the base of  $Q_1$  through  $C_1$ . Consequently,  $Q_1$  is pulled out of saturation and is soon driven to cut-off.

Since, now point B is at 0V,  $C_1$  starts charging through  $R_1$  towards the target voltage  $V_{CC}$ .

When voltage of  $C_1$  increases sufficiently.  $Q_1$  becomes forward-biased and starts conducting. In this way the whole cycle is repeated.

It is observed that the circuit alternates between a state in which  $Q_1$  is ON and  $Q_2$  is OFF and the state in which  $Q_1$  is OFF and  $Q_2$  is ON. This time in each state depends on RC values. Since each transistor is driven alternately into saturation and cut-off. The voltage waveform at either collector (points A and B in figure (b)) is essentially a square waveform with peak amplitude equal to  $V_{CC}$ .

### Calculation of switching times and frequency of oscillations:

The frequency of oscillations can be calculated by charging and discharging capacitances and its base resistance  $R_B$ .

The voltage across the capacitor can be written as

$$V_o = V_f - (V_f - V_i)e^{\frac{-t}{RC}} = V_B$$

$V_i$  = initial voltage =  $V_B = -V_{CC}$  thus the transistors enters from ON to OFF state

$V_f$  = final voltage =  $V_B = -V_{CC}$  then the resistor enters from OFF to ON state

$T_1$  is ON &  $T_2$  is OFF the above equation can be written as

$$V_{B1} = V_{CC} \left[ 1 - 2e^{\frac{-t}{R_{B1}C_1}} \right]$$

substitute at  $t=T_1$ ,  $V_{B1}=0$  hence this equation becomes

$$T_1 = .69R_{B2}C_2$$

The total time period  $T = .694(R_{B1}C_1 + R_{B2}C_2)$

When  $R_{B1}=R_{B2}=R$  &  $C_1=C_2=C$

$$T=1.39RC$$

Frequency of free running multivibrator is given by

$$F = \frac{1}{\text{total time period}(T)} = \frac{1}{1.39RC} = \frac{0.7}{RC}$$

the frequency stability of the circuit is not good as only the function of the product of RC but also depends on load resistances, supply voltages and circuit parameters. In order to stabilize the frequency, synchronizing signals are injected which terminate the unstable periods earlier than would occur naturally.

## 2. Bistable multivibrator

The bistable multivibrator has two absolutely stable states. It will remain in whichever state it happens to be until a trigger pulse causes it to switch to the other state. For instance, suppose at any particular instant, transistor  $Q_1$  is conducting and transistor  $Q_2$  is at cut-off. If left to itself, the bistable multivibrator will stay in this position for ever. However, if an external pulse is applied to the circuit in such a way that  $Q_1$  is cut-off and  $Q_2$  is turned on, the circuit will stay in the new position. Another trigger pulse is then required to switch the circuit back to its original state.

In other words a multivibrator which has both the state stable is called a bistable multivibrator. It is also called flip-flop, trigger circuit or binary. The output

pulse is obtained when, and why a driving (triggering) pulse is applied to the input. A full cycle of output is produced for every two triggering pulses of correct polarity and amplitude.

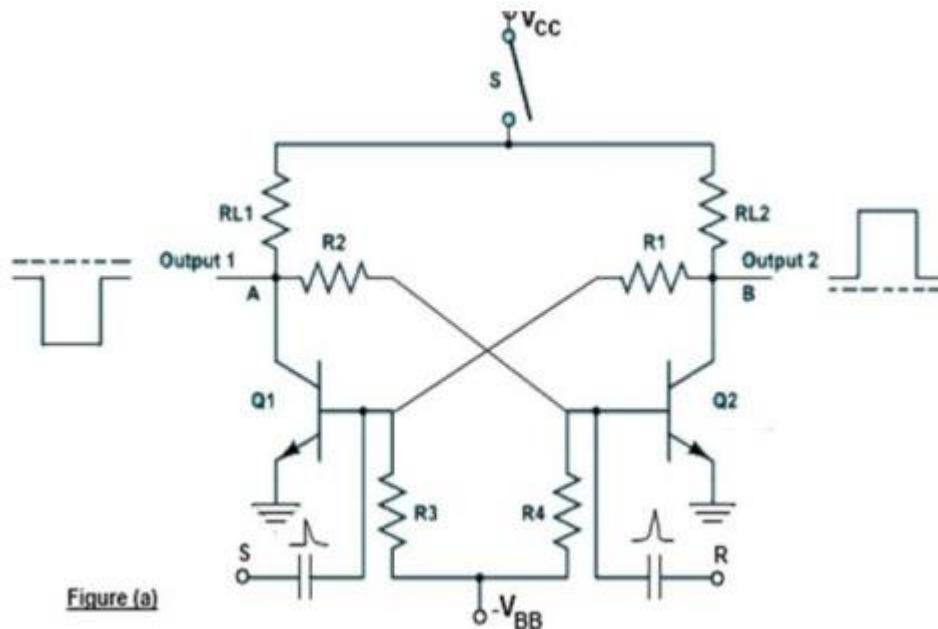


Figure (a) shows the circuit of a bistable multivibrator using two NPN transistors. Here the output of a transistor  $Q_2$  is coupled put of a transistor  $Q_1$  through a resistor  $R_2$ . Similarly, the output of a transistor  $Q_1$  is coupled to the base of transistor  $Q_2$  through a resistor  $R_1$ . The capacitors  $C_2$  and  $C_1$  are known as speed up capacitors. Their function is to increase the speed of the circuit in making abrupt transition from one stable state to another stable state. The base resistors ( $R_3$  and  $R_4$ ) of both the transistors are connected to a common source ( $-V_{BB}$ ). The output of a bistable multivibrator is available at the collector terminal of the both the transistor  $Q_1$  and  $Q$ . However, the two outputs are the complements of each other.

Let us suppose, if  $Q_1$  is conducting, then the fact that point A is at nearly ON makes the base of  $Q_2$  negative (by the potential divider  $R_2 - R_4$ ) and holds  $Q_2$  off.

Similarly with  $Q_2$  OFF, the potential divider from  $V_{CC}$  to  $-V_{BB}$  ( $R_{L2}, R_1, R_3$ ) is designed to keep base of  $Q_1$  at about 0.7V ensuring that  $Q_1$  conducts. It is seen that  $Q_1$  holds  $Q_2$  OFF and  $Q_2$  hold  $Q_1$  ON. Suppose, now a positive pulse is applied momentarily to R. It will cause  $Q_2$  to conduct. As collector of  $Q_2$  falls to zero, it cuts  $Q_1$  OFF and consequently, the BMV switches over to its other state.

Similarly, a positive trigger pulse applied to S will switch the BMV back to its original state.

Uses:

- In timing circuits as frequency divider
- 
- In counting circuits
- 
- In computer memory circuits

### **Bistable Multivibrator Triggering**



To change the stable state of the binary it is necessary to apply an appropriate pulse in the circuit, which will try to bring both the transistors to active region and the resulting regenerative feedback will result on the change of state.

Triggering may be of two following types:

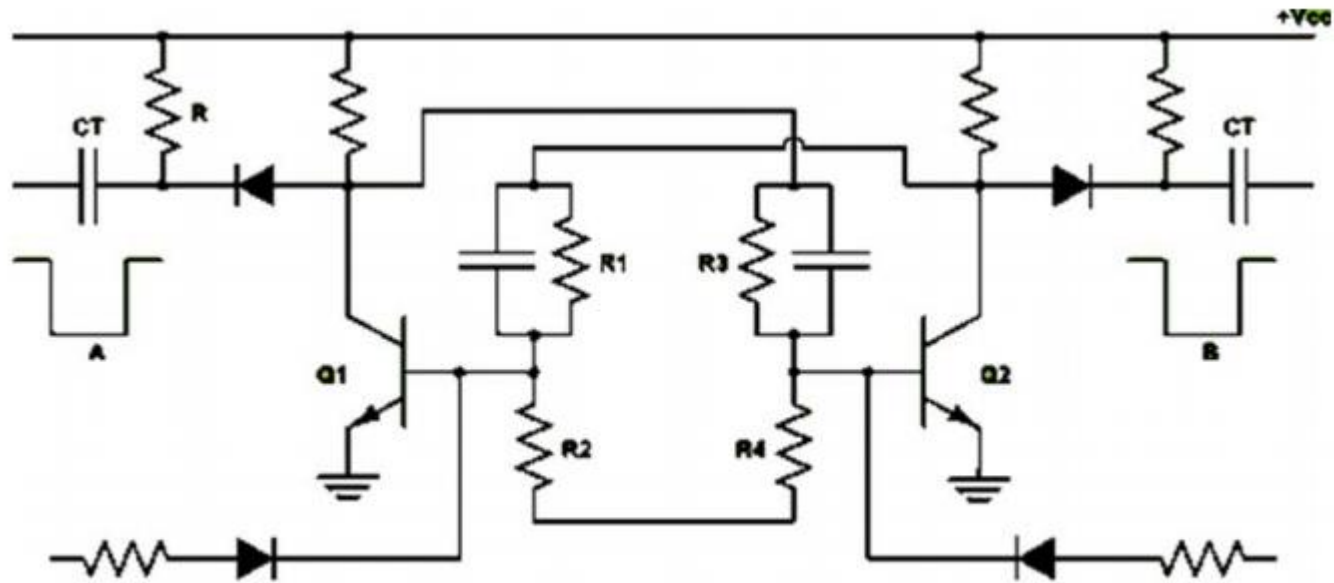
Asymmetrical triggering

Symmetrical triggering

### **(I) Asymmetrical triggering**

In asymmetrical triggering, there are two trigger inputs for the transistors  $Q_1$  and  $Q_2$ . Each trigger input is derived from a separate triggering source. To induce transition among the stable states, let us say that initially the trigger is applied to the bistable. For the next transition, now the identical trigger must appear at the transistor  $Q_2$ . Thus it can be said that the asymmetrical triggering the trigger pulses derived from two separate source and connected to the two transistors  $Q_1$  and  $Q_2$  individually, sequentially change the state of the bistable.

Figure (b) shows the circuit diagram of an asymmetrically triggered bistable multivibrator.

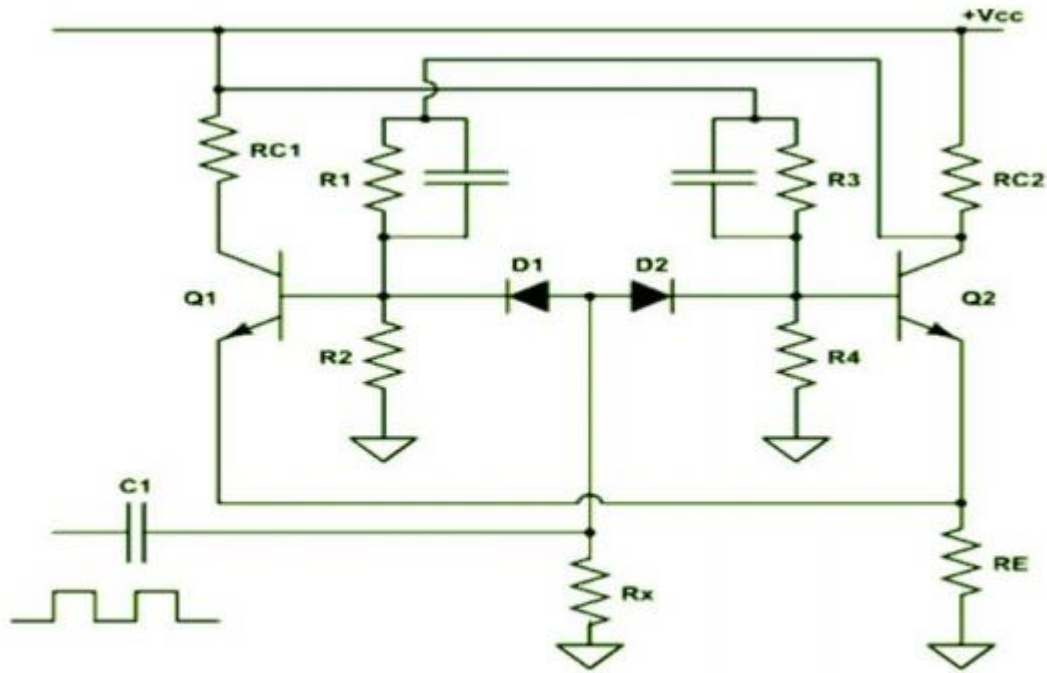


**Figure: (b) Asymmetrical triggered bistable multivibrator**

Initially  $Q_1$  is OFF and transistor  $Q_2$  is ON. The first pulse derived from the trigger source A, applied to the terminal turn it OFF by bringing it from saturation region to active transistor  $Q_1$  is ON and transistor  $Q_2$  is OFF. Any further pulse next time then the trigger pulse is applied at the terminal B, the change of stable state will result with transistor  $Q_2$  On and transistor  $Q_1$  OFF.

Asymmetrical triggering finds its application in the generation of a gate waveform, the duration of which is controlled by any two independent events occurring at different time instants. Thus measurement of time interval is facilitated.

## (II) symmetrical triggering



**Figure (c): Symmetrical base triggering employing positive triggering pulses**

There are various symmetrical triggering methods called symmetrical collector triggering, symmetrical base triggering and symmetrical hybrid triggering. Here we would like to explain only symmetrical base triggering (positive pulse) only as given under symmetrical Base Triggering.

Figure (c) shows the circuit diagram of a binary with symmetrical base triggering applying a positive trigger pulses.

Diodes  $D_1$  and  $D_2$  are steering diodes. Here the positive pulses, try to turn ON and OFF transistor. Thus when transistor  $Q_1$  is OFF and transistor  $Q_2$  is ON, the respective base voltages and  $V_{B1N, OFF}$  and  $V_{B2N, ON}$ . It will be seen that  $V_{B1N, OFF} > V_{B1N, ON}$ . Thus diode  $D_2$  is more reverse-biased compared to diode  $D_1$ .

When the positive differentiated pulse of amplitude greater than  $(V_{B1N, OFF} + V_Y)$  appears, the diode  $D_1$  gets forward biased, and transistor  $Q_1$  enters the active region and with subsequent regenerative feedback  $Q_1$  gets ON, and transistor  $Q_2$  becomes OFF. On the arrival of the next trigger pulse now the diode  $D_2$  will be forward biased and ultimately with regenerative feedback it will be in the ON state.

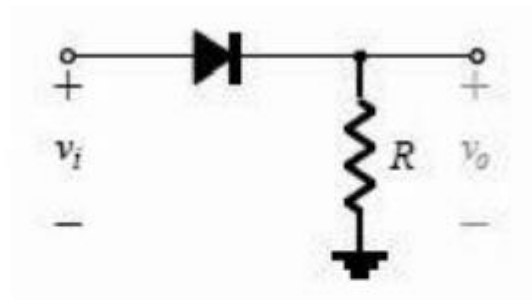
## **Clippers**

### **Series clipper**

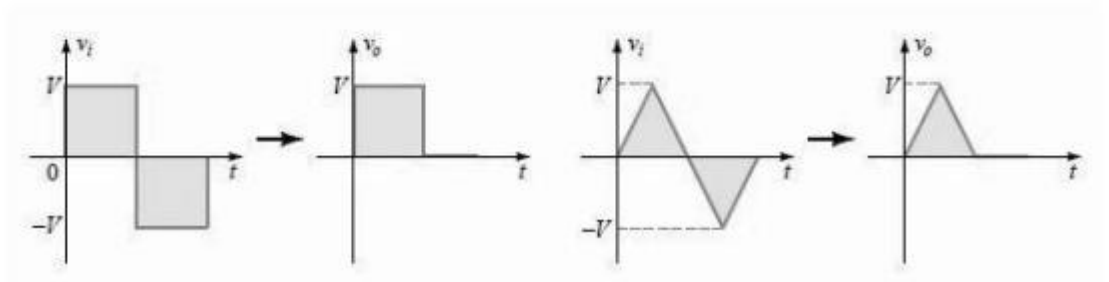
The response of the series configuration to a variety of alternating waveforms is provided although first introduced as a half-wave rectifier (for sinusoidal waveforms); there are no boundaries on the type of signals that can be applied to a clipper. The addition of a dc supply can have a pronounced effect on the output of a clipper. Our initial discussion will be limited to ideal diodes, with the effect of  $V_T$  reserved for a concluding example.

*Circuit diagram:*

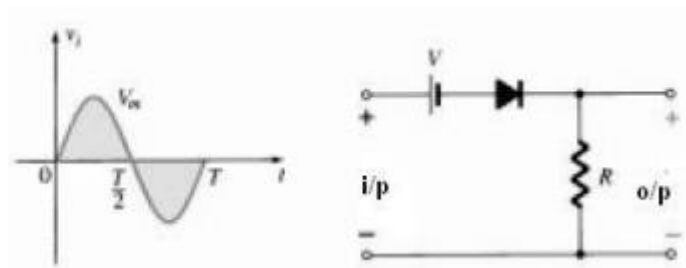
Circuit diagram:



Waveform:



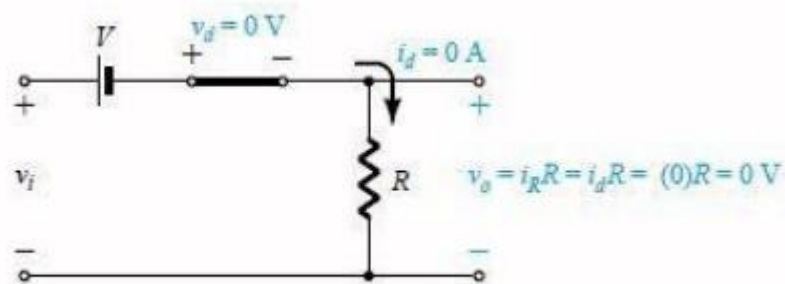
Series clipper with dc supply



There is no general procedure for analyzing networks such as the type in Fig but there are a few thoughts to keep in mind as you work toward a solution. Make a mental sketch of the response of the network based on the direction of the diode and the applied voltage levels. For the network, the direction of the diode suggests that the signal must be positive to turn it on. The dc supply further requires that the voltage be greater than  $V$  volts to turn the diode on.

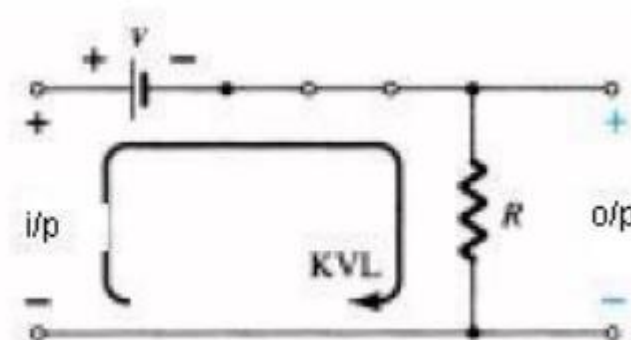
The negative region of the input signal is —pressuring the diode into the —off state, supported further by the dc supply. In general, therefore, we can be quite sure that the diode is an open circuit (—off state) for the negative region of the input signal. Determine the applied voltage (transition voltage) that will cause a change in state for the diode: For an input voltage greater than  $V$  volts the diode is in the short-circuit state, while for input voltages less than  $V$  volts it is in the open-circuit or —off state.

Determining the transition level for the circuit

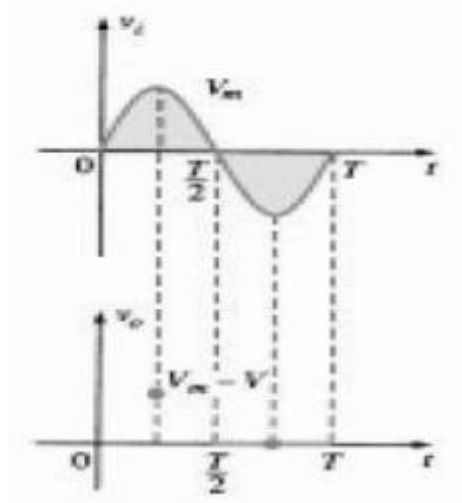


Be continually aware of the defined terminals and polarity of  $V_o$ . When the diode is in the short-circuit state, such as shown in Fig. , the output voltage  $V_o$  can be determined by applying Kirchhoff's

voltage law in the clockwise direction  $V_i - V - V_o$  (CW direction)

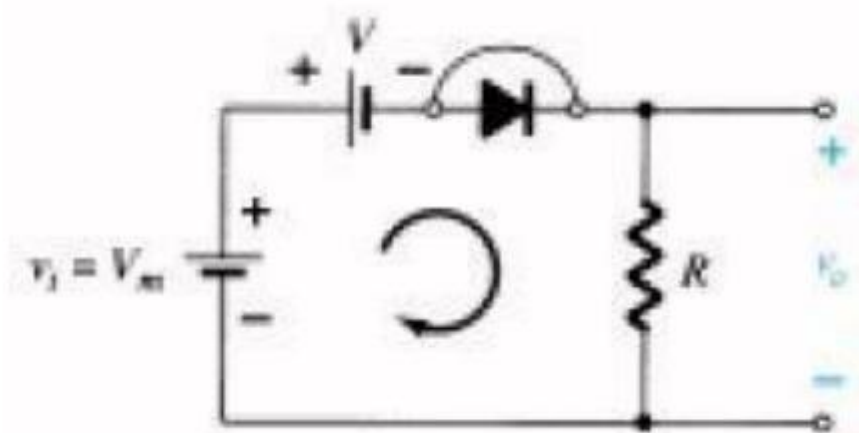


It can be helpful to sketch the input signal above the output and determine the output at instantaneous values of the input:



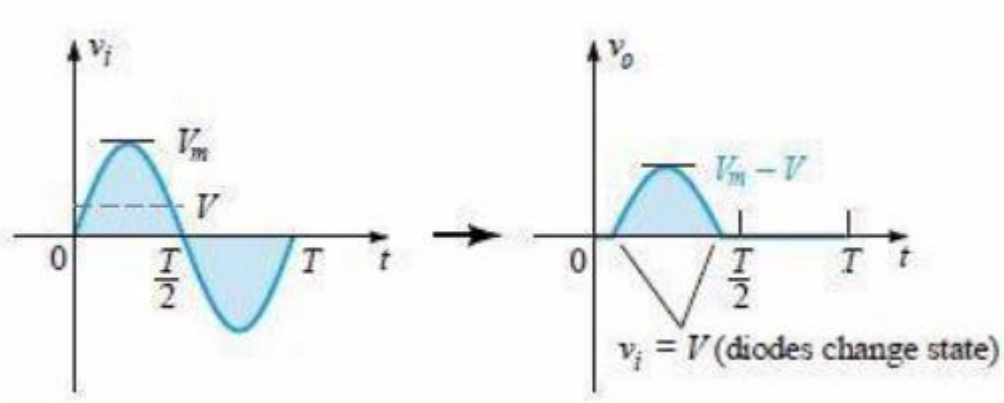
It is then possible that the output voltage can be sketched from the resulting data points of as demonstrated. Keep in mind that at an instantaneous value of  $v_i$  the input can be treated as a dc supply of that value and the corresponding dc value (the instantaneous value) of the output determined. For instance, at  $V_i = V_m$  for the network, the network to be analyzed appears. For  $V_m > V$  the diode is in the short-circuit state and  $V_o = V_m - V$ .

### Determining Levels Of $V_o$



### Determining $V_o$ When $V_i = V_m$

At the  $V_i = V_m$  diodes change state; at  $V_i = -V_m$ ,  $V_o = 0$  V; and the complete curve for  $V_o$  can be sketched.

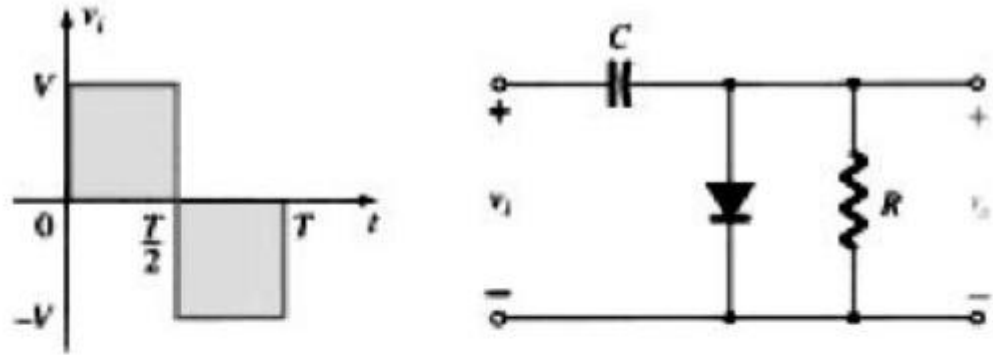


### Clamper

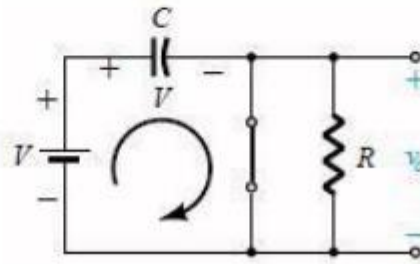
The clamping network is one that will —clamp a signal to a different dc level. The network must have a capacitor, a diode, and a resistive element, but it can also employ an independent dc supply to introduce an additional shift. The magnitude of  $R$  and  $C$  must be chosen such that the time constant  $\tau = RC$  is large enough to ensure that the voltage across the capacitor does not discharge significantly during the interval the diode is non conducting.

Throughout the analysis we will assume that for all practical purposes the capacitor will fully charge or discharge in five time constants. The network of Fig. will clamp the input signal to the zero level (for ideal diodes). The resistor  $R$  can be the load resistor or a parallel combination of the load resistor and a resistor designed to provide the desired level of  $R$ .





### Clamper

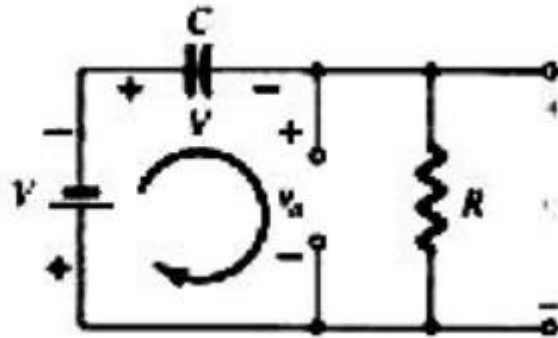


Diode —on and the capacitor charging to V volts.

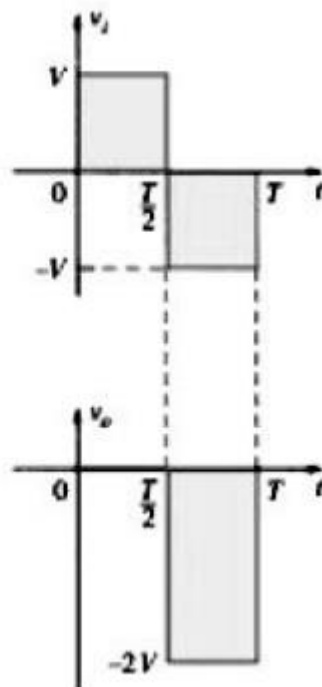
During the interval  $0 \rightarrow T/2$  the network will appear, with the diode in the —on state effectively —shorting out the effect of the resistor R. The resulting RC time constant is so small (R determined by the inherent resistance of the network) that the capacitor will charge to V volts very quickly. During this interval the output voltage is directly across the short circuit and  $V_o = 0$  V. When the input switches to the -V state, the network will appear With an open circuit equivalent for the diode determined by the applied signal and stored voltage across the capacitor—both —pressuring current through the diode from cathode to anode.

Now that R is back in the network the time constant determined by the RC product is sufficiently large to establish a discharge period much greater than

the period  $T/2 \rightarrow T$ , and it can be assumed on an approximate basis that the capacitor holds onto all its charge and, therefore, voltage (since  $V = Q/C$ ) during this period. Since  $v_o$  is in parallel with the diode and resistor, it can also be drawn in the alternative position shown in Fig. 2.94. Applying Kirchhoff's voltage law around the input loop will result in  $-V - V - V_o = 0$  and  $V_o = -2V$



Determining  $V_o$  with the diode —off.



Sketching  $V_o$  for the network

The negative sign resulting from the fact that the polarity of  $2V$  is opposite to the polarity defined for  $V_o$ . The resulting output waveform appears with the input signal. The output signal is clamped to  $0\text{ V}$  for the interval  $0$  to  $T/2$  but maintains the same total swing ( $2V$ ) as the input. For a clamping network:

The total swing of the output is equal to the total swing of the input signal.

This fact is an excellent checking tool for the result obtained. In general, the following steps may be helpful when analyzing clamping networks:

1. Start the analysis of clamping systems by considering that part of the input signal that will forward bias the diode. The statement above may require skipping an interval of the input signal (as demonstrated in an example to follow), but the analysis will not be extended by an unnecessary measure of investigation.

During the period that the diode is in the —on state, assume that the capacitor will charge up instantaneously to a voltage level determined by the network.

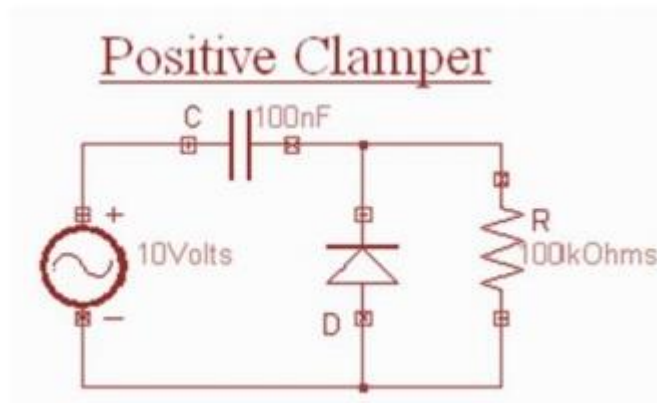
3. Assume that during the period when the diode is in the —off state the capacitor will hold on to its established voltage level.

4. Throughout the analysis maintain a continual awareness of the location and reference polarity for to ensure that the proper levels for are obtained.

5. Keep in mind the general rule that the total swing of the total output must match the swing of the input signal .

### 1. Positive Clamper

During the negative half cycle of the input signal, the diode conducts and acts like a short circuit. The output voltage  $V_o = 0$  volts . The capacitor is charged to the peak value of input voltage  $V_m$ . and it behaves like a battery. During the positive half of the input signal, the diode does not conduct and acts as an open circuit. Hence the output voltage  $V_o = V_m + V_m$  This gives a positively clamped voltage

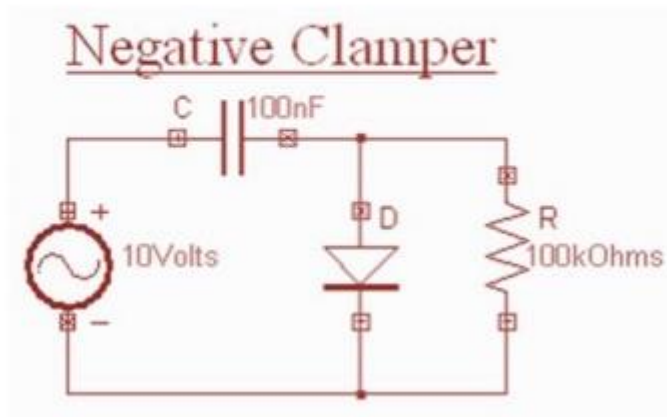


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### 2. Negative Clamper

During the positive half cycle the diode conducts and acts like a short circuit. The capacitor charges to peak value of input voltage  $V_m$ . During this interval the output  $V_o$  which is taken across the short circuit will be zero. During the negative half cycle, the diode is open. The output voltage can be found by applying KVL.

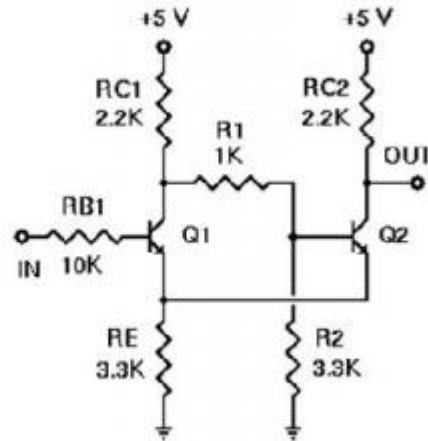
$$V_o = -2V_m$$



### Schmitt Trigger

Sometimes an input signal to a digital circuit doesn't directly fit the description of a digital signal. For various reasons it may have slow rise and/or fall times, or may have acquired some noise that could be sensed by further circuitry. It may even be an analog signal whose frequency we want to measure. All of these conditions, and many others, require a specialized circuit that will "clean up" a signal and force it to true digital shape.

The required circuit is called a Schmitt Trigger. It has two possible states just like other multivibrators. However, the trigger for this circuit to change states is the input voltage level, rather than a digital pulse. That is, the output state depends on the input level, and will change only as the input crosses a pre-defined threshold.



Unlike the other multivibrators you have built and demonstrated, the Schmitt Trigger makes its feedback connection through the emitters of the transistors as shown in the schematic diagram to the right. This makes for some useful possibilities, as we will see during our discussion of the operating theory of this circuit.

To understand how this circuit works, assume that the input starts at ground, or 0 volts. Transistor Q1 is necessarily turned off, and has no effect on this circuit. Therefore, RC1, R1, and R2 form a voltage divider across the 5 volt powersupply to set the base voltage of Q2 to a value of  $(5 \times R2)/(RC1 + R1 + R2)$ . If we assume that the two transistors are essentially identical, then as long as the input voltage remains significantly less than the base voltage of Q2, Q1 will remain off and the circuit operation will not change.

While Q1 is off, Q2 is on. Its emitter and collector current are essentially the same, and are set by the value of RE and the emitter voltage, which will be less than the Q2 base voltage by  $V_{BE}$ . If Q2 is in saturation under these circumstances, the output voltage will be within a fraction of the threshold voltage set by RC1, R1, and R2. It is important to note that the output voltage of

this circuit cannot drop to zero volts, and generally not to a valid logic 0. We can deal with that, but we must recognize this fact.

Now, suppose that the input voltage rises, and continues to rise until it approaches the threshold voltage on Q2's base. At this point, Q1 begins to conduct. Since it now carries some collector current, the current through RC1 increases and the voltage at the collector of Q1 decreases. But this also affects our voltage divider, reducing the base voltage on Q2. But since Q1 is now conducting it carries some of the current flowing through RE, and the voltage across RE doesn't change as rapidly. Therefore, Q2 turns off and the output voltage rises to +5 volts. The circuit has just changed states.

If the input voltage rises further, it will simply keep Q1 turned on and Q2 turned off. However, if the input voltage starts to fall back towards zero, there must clearly be a point at which this circuit will reset itself. The question is, What is the falling threshold voltage? It will be the voltage at which Q1's base becomes more negative than Q2's base, so that Q2 will begin conducting again. However, it isn't the same as the rising threshold voltage, since Q1 is currently affecting the behavior of the voltage divider.

We won't go through all of the derivation here, but when  $V_{IN}$  becomes equal to Q2's base voltage, Q2's base voltage will be:

As  $V_{IN}$  approaches this value, Q2 begins to conduct, taking emitter current away from Q1. This reduces the current through RC1 which raises Q2's base voltage further, increasing Q2's forward bias and decreasing Q1's forward bias. This in turn will turn off Q1, and the circuit will switch back to its original state.

Three factors must be recognized in the Schmitt Trigger. First, the circuit will change states as  $V_{IN}$  approaches  $V_{B2}$ , not when the two voltages are equal. Therefore  $V_{B2}$  is very close to the threshold voltage, but is not precisely equal to it. For example, for the component values shown above,  $V_{B2}$  will be 2.54 volts when Q1 is held off, and 2.06 volts as  $V_{IN}$  is falling towards this value.

Second, since the common emitter connection is part of the feedback system in this circuit,  $R_E$  must be large enough to provide the requisite amount of feedback, without becoming so large as to starve the circuit of needed current. If  $R_E$  is out of range, the circuit will not operate properly, and may not operate as anything more than a high-gain amplifier over a narrow input voltage range, instead of switching states.

The third factor is the fact that the output voltage cannot switch over logic levels, because the transistor emitters are not grounded. If a logic-level output is required, which is usually the case, we can use a circuit such as the one shown here to correct this problem. This circuit is basically two RTL inverters, except that one uses a PNP transistor. This works because when Q2 above is turned off, it will hold a PNP inverter off, but when it is on, its output will turn the PNP transistor on. The NPN transistor here is a second inverter to re-invert the signal and to restore it to active pull-down in common with all of our other logic circuits.

The circuit you will construct for this experiment includes both of the circuits shown here, so that you can monitor the response of the Schmitt trigger with L0.



## Schmitt Waveform Generators

Simple **Waveform Generators** can be constructed using basic Schmitt trigger action Inverters such as the TTL 74LS14. This method is by far the easiest way to make a basic astable waveform generator. When used to produce clock or timing signals, the astable multivibrator must produce a stable waveform that switches quickly between its "HIGH" and "LOW" states without any distortion or noise, and Schmitt inverters do just that.

We know that the output state of a Schmitt inverter is the opposite or inverse to that of its input state, (NOT Gate principles) and that it can change state at different voltage levels giving it "hysteresis". Schmitt inverters use a Schmitt Trigger action that changes state between an upper and a lower threshold level as the input voltage signal increases and decreases about the input terminal. This upper threshold level "sets" the output and the lower threshold level "resets" the output which equates to a logic "0" and a logic "1" respectively for an inverter. Consider the circuit below.

### TTL Schmitt Waveform Generator

The circuit consists simply of a TTL 74LS14 Schmitt inverter logic gate with a capacitor, C connected between its input terminal and ground, (0v) with the positive feedback required for the circuit to oscillate is provided by the feedback resistor, R. So how does it work?. Assume that the charge across the capacitors plates is below the Schmitt's lower threshold level of 0.8 volt (Datasheet value).

This therefore makes the input to the inverter at a logic "0" level resulting in a logic "1" output level (inverter principals). One side of the resistor R is now connected to the logic "1" level (+5V) output while the other side of the resistor is connected to the capacitor, C which is at a logic "0" level (0.8v or below).

The capacitor now starts to charge up in a positive direction through the resistor at a rate determined by the RC time constant of the combination. When the charge across the capacitor reaches the 1.6 volt upper threshold level of the Schmitt trigger (Datasheet value) the output from the Schmitt inverter changes rapidly from a logic level "1" to a logic level "0" state and the current flowing through the resistor changes direction.

This change now causes the capacitor that was originally charging up through the resistor, R to begin to discharge itself back through the same resistor until the charge across the capacitors plates reaches the lower threshold level of 0.8 volts and the inverters output switches state again with the cycle repeating itself over and over again as long as the supply voltage is present.

So the capacitor, C is constantly charging and discharging itself during each cycle between the upper and lower threshold levels of the Schmitt inverter producing a logic level "1" or a logic level "0" at the inverters output. However, the output square wave signal is not symmetrical producing a duty cycle of about 33% or 1/3 as the mark-to-space ratio between "HIGH" and "LOW" is 1:2 respectively due to the input gate characteristics of the TTL inverter.

The value of the feedback resistor, R MUST also be kept low to below  $1k\Omega$  for the circuit to oscillate correctly, 220R to 470R is good, and by varying the value of the capacitor, C to vary the frequency. Also at high frequency levels the output waveform changes shape from a square shaped waveform to a trapezoidal shaped waveform as the input characteristics of the TTL gate are affected by the rapid charging and discharging of the capacitor.

With a resistor value between: 100R to  $1k\Omega$ , and a capacitor value of between: 1nF to 1000uF. This would give a frequency range of between 1Hz to 1MHz, (high frequencies produce waveform distortion).

### **Waveform Generator**

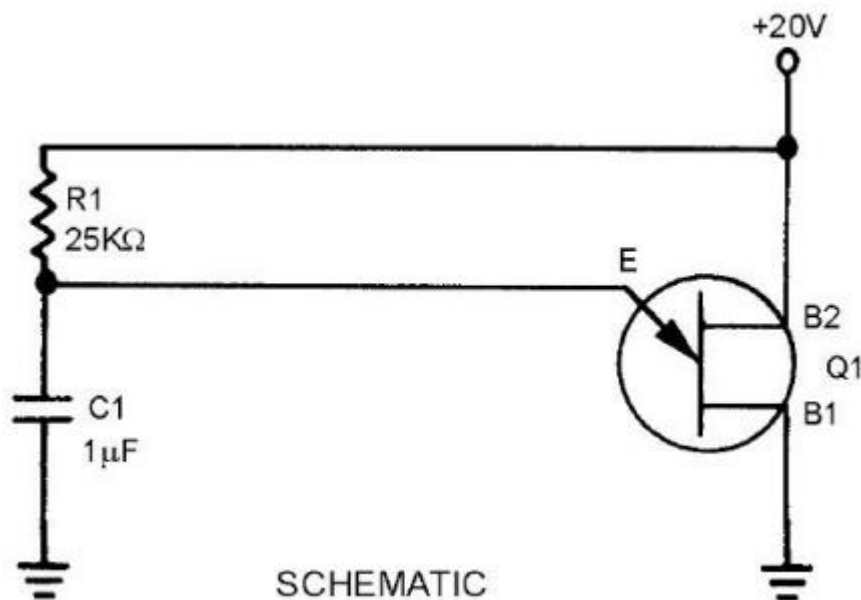
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Nonsinusoidal oscillators generate complex waveforms such as those just discussed. Because the outputs of these oscillators are generally characterized by a sudden change, or relaxation, these oscillators are often called RELAXATION OSCILLATORS. The pulse repetition rate of these oscillators is usually governed by the charge and discharge timing of a capacitor in series with a resistor.

However, some oscillators contain inductors that along with circuit resistance, affect the output frequency. These RC and LC networks within oscillator circuits are used for frequency determination. Within this category of relaxation oscillators are MULTIVIBRATORS, BLOCKING OSCILLATORS, and SAWTOOTH- and TRAPEZOIDAL-WAVE GENERATORS. Many electronic circuits are not in an "on" condition all of the time. In computers, for example, waveforms must be turned on and off for specific lengths of time.

The time intervals vary from tenths of microseconds to several thousand microseconds. Square and rectangular waveforms are normally used to turn such circuits on and off because the sharp leading and trailing edges make them ideal for timing purposes.

### Unijunction Sawtooth Generator

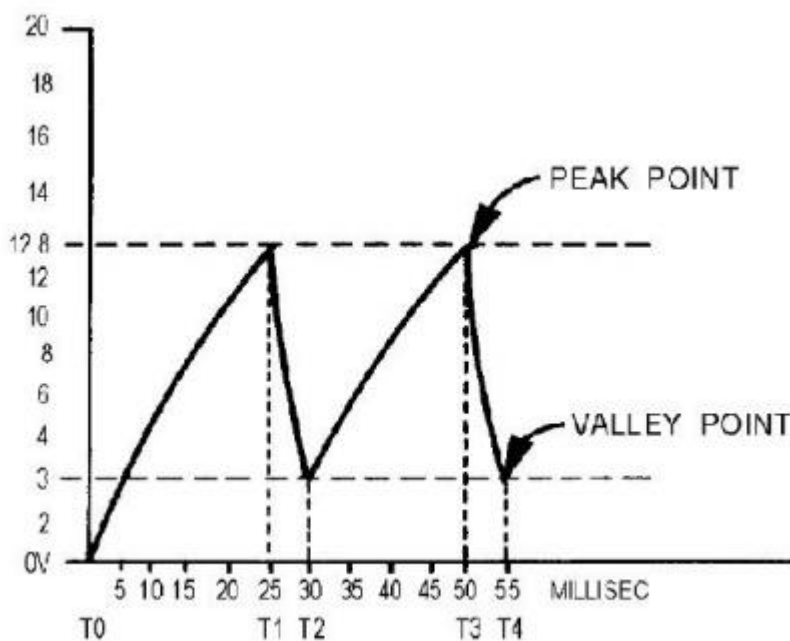


When the 20 volts is applied across B2 and B1, the n-type bar acts as a voltage-divider. A voltage of 12.8 volts appears at a point near the emitter. At the first instant, C1 has no voltage across it, so the output of the circuit, which is taken across the capacitor (C1), is equal to 0 volts. (The voltage across C1 is also the voltage that is applied to the emitter of the unijunction.)

The unijunction is now reverse biased. After  $T_0$ , C1 begins to charge toward 20 volts. At  $T_1$ , the voltage across the capacitor (the voltage on the emitter) has

reached approximately 12.8 volts. This is the peak point for the unijunction, and it now becomes forward biased.

With the emitter forward biased, the impedance between the emitter and B1 is just a few ohms. This is similar to placing a short across the capacitor. The capacitor discharges very rapidly through the low resistance of B1 to E.



As C1 discharges, the voltage from the emitter to B1 also decreases. Q1 will continue to be forward biased as long as the voltage across C1 is larger than the valley point of the unijunction. At T2 the 3-volt valley point of the unijunction has been reached. The emitter now becomes reverse biased and the impedance from the emitter to B1 returns to a high value. Immediately after T2, Q1 is reverse biased and the capacitor has a charge of approximately 3 volts. C1 now starts to charge toward 20 volts as it did originally.

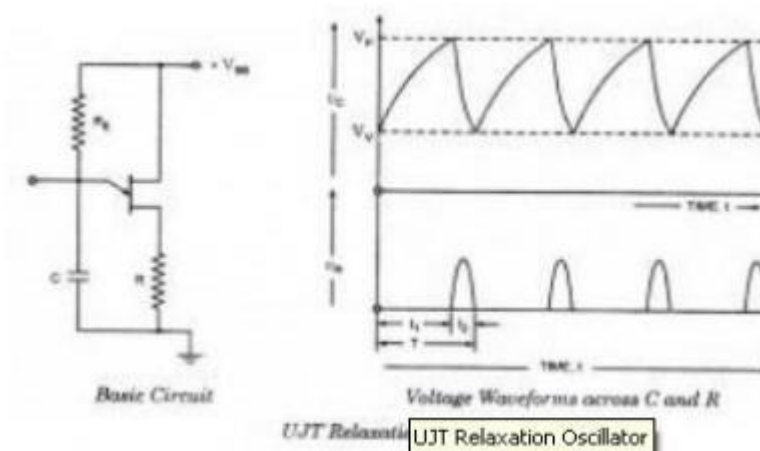
The circuit operation from now on is just a continuous repetition of the actions between T2 and T4. The capacitor charges until the emitter becomes forward

biased, the unijunction conducts and C1 discharges, and Q1 becomes reverse biased and C1 again starts charging.

Now, let's determine the linearity, electrical length, and amplitude of the output waveform. First, the linearity: To charge the circuit to the full 20 volts will take 5 time constants. In the circuit shown in figure 3-44, view (B), C1 is allowed to charge from T2 to T3. To find the percentage of charge, use the equation:

$$\begin{aligned} \text{percent of charge} &= \frac{E_{\text{peak}} - E_{\text{valley}}}{E_a - E_{\text{valley}}} \times 100 \\ &= \frac{12.8 - 3}{20.0 - 3} \times 100 \\ &= \frac{9.9}{17} \times 100 \\ &= 57 \text{ percent} \end{aligned}$$

This works out to be about 57 percent and is far beyond the 10 percent required for a linear sweep voltage.



## UJT Relaxation Oscillator

The relaxation oscillator shown in figure consists of UJT and a capacitor  $C$  which is charged through resistor  $R_E$  when inter base voltage  $V_{BB}$  is switched on. During the charging period, the voltage across the capacitor increases exponentially until it attains the peak point voltage  $V_P$ .

When the capacitor voltage attains voltage  $V_P$ , the UJT switches on and the capacitor  $C$  rapidly discharges through  $B_1$ . The resulting current through the external resistor  $R$  develops a voltage spike, as illustrated in figure and the capacitor voltage drops to the value  $V_V$ .

The device then cuts off and the capacitor commences charging again. The cycle is repeated continually generating a saw-tooth waveform across capacitor  $C$ . The resulting waveforms of capacitor voltage  $V_C$  and the voltage across resistor  $R$  ( $V_R$ ) are shown in figure. The frequency of the input saw-tooth wave can be varied by varying the value of resistor  $R_E$  as it controls the time constant ( $T = R_EC$ ) of the capacitor charging circuit.

The discharge time  $t_2$  is difficult to calculate because the UJT is in its negative resistance region and its resistance is continually changing. However,  $t_2$  is normally very much less than  $t_1$  and can be neglected for approximation.

For satisfactory operation of the above oscillator the following two conditions for the turn-on and turn-off of the UJT must be met.

$$R_E < V_{BB} - V_P / I_P \text{ and } R_E > V_{BB} - V_V / I_V$$

That is the range of resistor  $R_E$  should be as given below

$$V_{BB} - V_P / I_P > R_E > V_{BB} - V_V / I_V$$

The time period and, therefore, frequency of oscillation can be derived as below. During charging of capacitor, the voltage across the capacitor is given as

$$V_c = V_{BB}(1 - e^{-t/ReC})$$

where  $R_EC$  is the time constant of the capacitor charging circuit and  $t$  is the time from the commencement of the charging. The discharge of the capacitor commences at the end of charging period  $t_1$  when the voltage across the capacitor  $V_c$  becomes equal to  $V_P$ , that is,  $(\eta V_{BB} + V_B)$

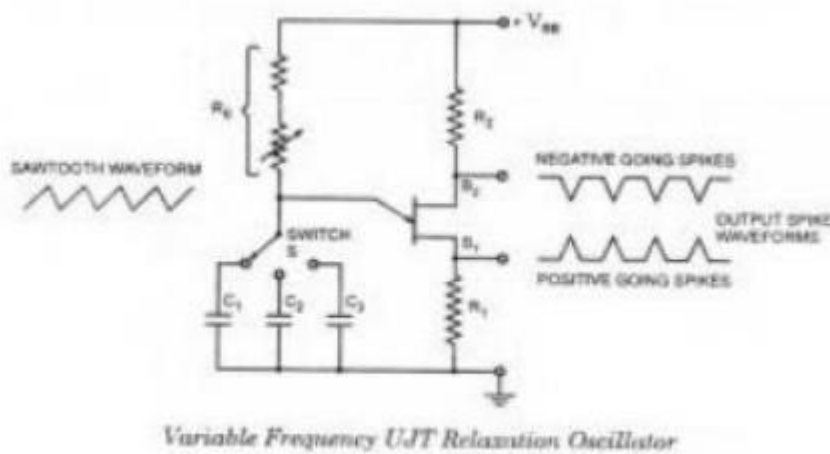
$$V_P = \eta V_{BB} + V_B = V_{BB}(1 - e^{-t_1/ReC}) \text{ Neglecting } V_B \text{ in comparison to } \eta V_{BB} \text{ we have}$$

$$\eta V_{BB} = V_{BB}(1 - e^{-t_1/ReC})$$

$$\text{Or } e^{-t_1/ReC} = 1 - \eta$$

$$\text{So charging time period, } t_1 = 2.3 R_E C \log_{10} 1/1 - \eta$$





Since discharging time duration  $t_2$  is negligibly small as compared to charging time duration  $t_1$  so taking time period of the wave,  $T = t_1$

Time period of the saw-tooth wave,  $T = 2.3 R_E C \log_{10} \frac{1}{1-\eta}$  and frequency of oscillation  $f = 1/T = 1/2.3R_EC \log_{10} (1-\eta)$

By including a small resistor in each base circuit, three useful outputs (saw-tooth waves, positive triggers, and negative triggers), as shown in figure, can be obtained. When the UJT fires, the surge of current through  $B_1$  causes a voltage drop across  $R_1$  and produces the positive going spikes.

Also at the UJT firing time, the fall of  $V_{EB}$  causes  $I_B$  to rise rapidly and generate the negative-going spikes across  $R_2$ , as shown in figure.  $R_1$  and  $R_2$  should be much smaller than  $R_{BB}$  to avoid altering the firing voltage of the UJT.

A wide range of oscillation frequencies can be achieved by making  $R_E$  adjustable and including a switch to select different values of capacitance, as

illustrated. As already mentioned in previous blog post there is upper and lower limits to the signal source resistance  $R_E$  for the satisfactory operation of the UJT.

### **Pulse Transformer**

A **pulse transformer** is a transformer that is optimised for transmitting rectangular electrical pulses (that is, pulses with fast rise and fall times and a relatively constant amplitude). Small versions called signal types are used in digital logic and telecommunications circuits, often for matching logic drivers to transmission lines. Medium-sized power versions are used in power-control circuits such as camera flash controllers. Larger power versions are used in the electrical power distribution industry to interface low-voltage control circuitry to the high-voltage gates of power semiconductors. Special high voltage pulse transformers are also used to generate high power pulses for radar, particle accelerators, or other high energy pulsed power applications.

To minimise distortion of the pulse shape, a pulse transformer needs to have low values of leakage inductance and distributed capacitance, and a high open-circuit inductance. In power-type pulse transformers, a low coupling capacitance (between the primary and secondary) is important to protect the circuitry on the primary side from high-powered transients created by the load.

For the same reason, high insulation resistance and high breakdown voltage are required. A good transient response is necessary to maintain the rectangular pulse shape at the secondary, because a pulse with slow edges would create switching losses in the power semiconductors.

The product of the peak pulse voltage and the duration of the pulse (or more accurately, the voltage-time integral) is often used to characterise pulse transformers. Generally speaking, the larger this product, the larger and more expensive the transformer.

Pulse transformers by definition have a duty cycle of less than 0.5, whatever energy stored in the coil during the pulse must be "dumped" out before the pulse is fired again.